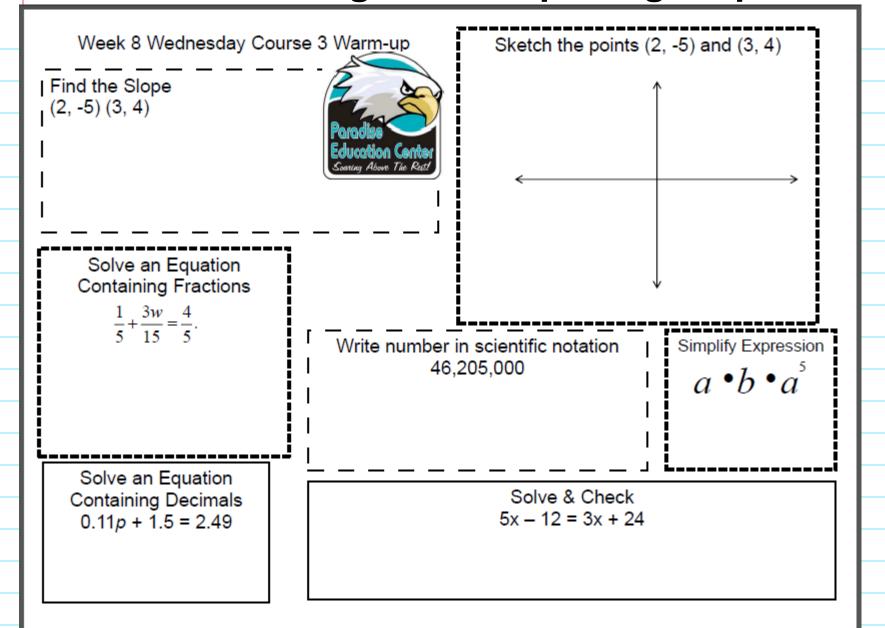
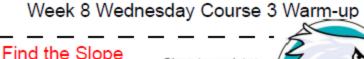
### **Lesson 4.1 Finding and Interpreting Slope**



### **Lesson 4.1 Finding and Interpreting Slope**



Find the Slope (2, -5)(3, 4)

Given two points:  $(x_1, y_1) (x_2, y_2)$ Slope Formula:





#### Solve an Equation Containing Fractions

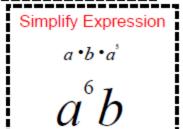
$$\frac{1}{5} + \frac{3w}{15} = \frac{4}{5}.$$

Solve an Equation Containing Decimals 0.11p + 1.5 = 2.49



Write number in scientific notation 46,205,000

4.6205 x 10 ^7



Sketch the points (2, -5) and (3, 4)

Lesson 4.1 Finding and Interpreting Slope

(Day 2)

### Objective

TSW find the slope of lines by

- \*interpreting table
- \*graphing
- \*using slope formula
- \*using formula y=mx+b



The graph of a linear equation in two variables is a line, and you can write the equation of the line in slope-intercept form.

#### **Common Core State Standards**

8EE 5 Graph proportional relationships, interpreting the unit rate as the slope of a graph.

8 EE 6 ...derive the equation y=mx for a line through the equation y=mx+b for a line intercepting the vertical axis at b

 Mathematical Practices 2 Reason 4 Model Mathematics 5 Use tools 8
 Express regularity in reasoning

Let's review Knowledge of Slope...

lope!
he steepness of a line is called!
ircle the line with the biggest slope
he letter we use for slope is a lowercase! Why?! Because it comes from the French word onter which means to climb or to rise. FUN FACT!
Then given a graph of a line, we need to know a simple definition of slope:  m =
* Slope is the ratio of a line's change to its change.  hat's what we mean by "rise over run"!

Let's review Knowledge of Slope...

Slope!

The steepness of a line is called <u>SLOPE</u>

Circle the line with the biggest slope...



The letter we use for slope is a lowercase \( \cdots \) ! Why?! Because it comes from the French word monter which means to climb or to rise. FUN FACT!

When given a graph of a line, we need to know a simple definition of slope:

$$m = \frac{RISE}{RUN}$$

\*\* Slope is the ratio of a line's <u>VERTICAL</u> change to its <u>HORIZONTAL</u> change. That's what we mean by "rise over run"!

Let's review Knowledge of Slope...

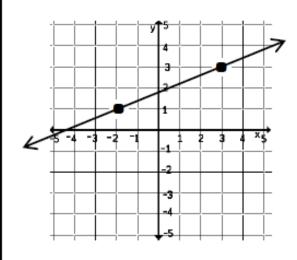
How to find the slope of a line when given a graph of a line:

- 1) Start at the point farthest to the \_\_\_\_\_!
- 2) Find the rise! Up:

Down: \_\_\_\_\_

3) Find the run! Right: \_\_\_\_\_

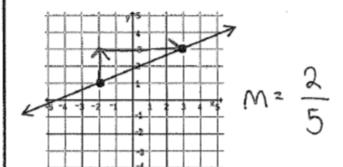
Left:



Let's review Knowledge of Slope...

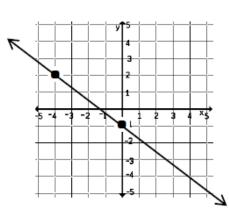
#### How to find the slope of a line when given a graph of a line:

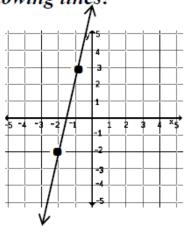
- 1) Start at the point farthest to the <u>LEFT</u>
- 2) Find the rise! Up: POSITIVE Down: NEGATIVE
- 3) Find the run! Right: POSITIVE Left: NEGATIVE

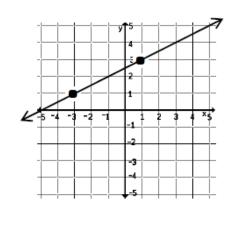


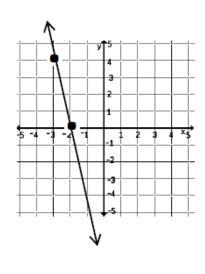
Let's review Knowledge of Slope...

Find the slope of the following lines!









$$m =$$

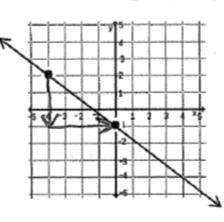
$$m =$$

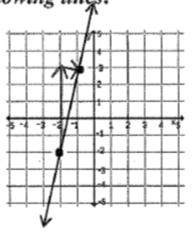
$$m =$$

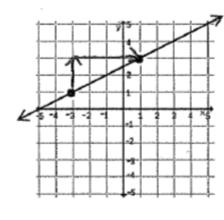
$$m =$$

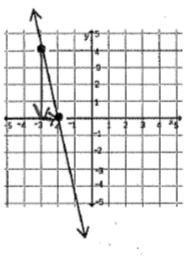
Let's review Knowledge of Slope...

Find the slope of the following lines!









$$m = \begin{bmatrix} -3 \\ 4 \end{bmatrix}$$

$$m = \frac{5}{1} = 5$$

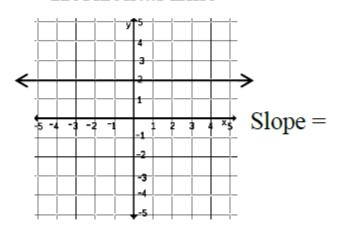
$$m = \frac{2}{4} = \boxed{\frac{1}{2}}$$

$$m = \frac{-4}{1} = \sqrt{-4}$$

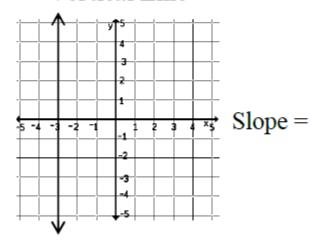
Let's review Knowledge of Slope...

Horizontal and Vertical Lines...

#### **Horizontal Line**



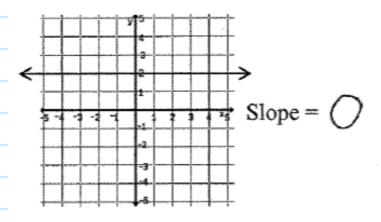
#### Vertical Line



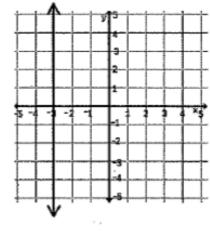
Let's review Knowledge of Slope...

#### Horizontal and Vertical Lines...

#### Horizontal Line



#### Vertical Line



Slope = UNDEFINED

Sometimes we are not given a picture, but instead we are given 2 points on the line. When this is the case, we must implement another definition of slope:

In other words, slope is 
$$\frac{Change\ in}{Change\ in}$$

How to find the slope of a line when given two points on the line:

- 1) Subtract one y-value from another y-value! (It helps to draw arrows!)
- 2) Subtract one x-value from another x-value! (It helps to draw arrows!)

#### **IMPORTANT:**

\* Subtracting a negative means \_\_

(1, 7) and (-2, 3)

Let's review Knowledge of Slope...

Sometimes we are not given a picture, but instead we are given 2 points on the line. When this is the case, we must implement another definition of slope:

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$

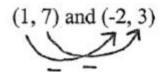
In other words, slope is  $\frac{Change in \, Q}{Change in \, X}$ 

How to find the slope of a line when given two points on the line:

- Subtract one y-value from another y-value! (It helps to draw arrows!)
- Subtract one x-value from another x-value! (It helps to draw arrows!)

#### IMPORTANT:

\* Subtracting a negative means ADDITION



$$\frac{7-3}{1+2} = \frac{4}{3}$$

Let's review Knowledge of Slope...

### Find the slope of the line that passes through each pair of points:

$$(6, -1) & (4, 2)$$

$$(4,3) & (3,-2)$$

Let's review Knowledge of Slope...

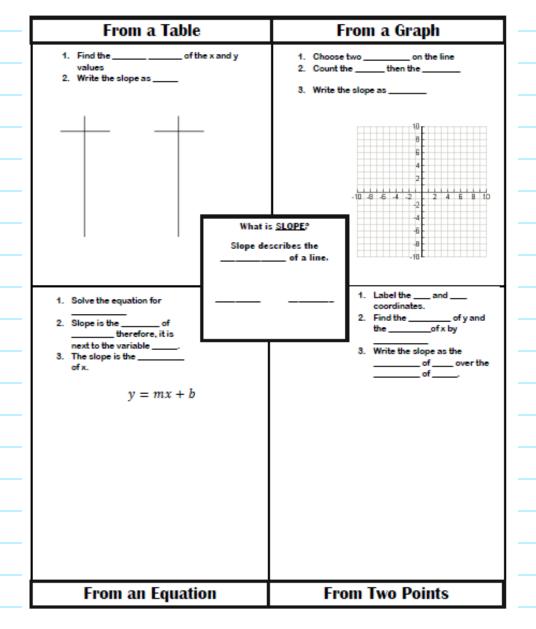
#### Find the slope of the line that passes through each pair of points:

$$\frac{-1-2}{6-4} = \frac{-3}{2}$$

$$\frac{3+2}{4-3} = \frac{5}{1} = \boxed{5}$$

$$\frac{7-1}{-1+3} = \frac{6}{2} = \boxed{3}$$

$$\frac{4-5}{3-6} = \frac{-1}{-3} = \boxed{\frac{1}{3}}$$



Two ways to
find slope
include...
\*From table
\*From Graph
Today let's
focus on
finding slope
\*From Two

points

- 1. Label the \_\_\_ and \_\_\_ coordinates.
  - Find the \_\_\_\_\_ of y and the \_\_\_\_ of x by
  - Write the slope as the
     of over the

\_\_\_\_\_ of \_\_\_\_

Two ways to find slope include...

- \*From table
- \*From Graph

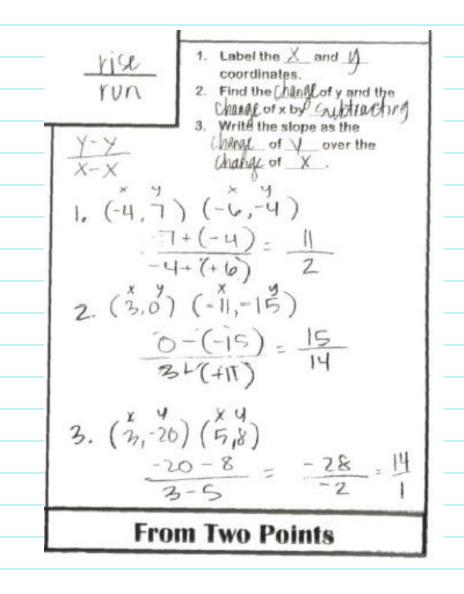
Today let's

focus on finding slope

\*From Two

points

**From Two Points** 



Two ways to find slope include... \*From table \*From Graph **Today let's** focus on finding slope \*From Two points

### Find the slope of each line.

a)	Find the slope of	the line passing	through the point	s A (4, 8) and B (1
----	-------------------	------------------	-------------------	---------------------

#### Find the slope of each line.

a) Find the slope of the line passing through the points A (4, 8) and B (1, 4)

#### Solution

Let A (4, 8) be  $(x_1, y_1)$  and B (1, 4) be  $(x_2, y_2)$ .

#### Method 1

Slope = 
$$\frac{y_1 - y_2}{x_1 - x_2}$$
  
=  $\frac{8 - 4}{4 - 1}$   
=  $\frac{4}{3}$ 

#### Method 2

Slope = 
$$\frac{y_2 - y_1}{x_2 - x_1}$$
  
=  $\frac{4 - 8}{1 - 4}$   
=  $\frac{-4}{-3} = \frac{4}{3}$ 

The slope is  $\frac{4}{3}$ .

You can find the slope of the line by calculating the rise and the run either from point A to point B or from point B to point A.



b)	Find the slope of the line passing through the points $P(2, 5)$ and $Q(8, 2)$ .

b) Find the slope of the line passing through the points P(2, 5) and Q(8, 2).

#### Solution

Let P(2, 5) be  $(x_1, y_1)$  and Q(8, 2) be  $(x_2, y_2)$ .

#### Method 1

Slope = 
$$\frac{y_1 - y_2}{x_1 - x_2}$$
  
=  $\frac{5 - 2}{2 - 8}$   
=  $\frac{3}{-6} = -\frac{1}{2}$ 

#### Method 2

Slope = 
$$\frac{y_2 - y_1}{x_2 - x_1}$$
  
=  $\frac{2 - 5}{8 - 2}$   
=  $\frac{-3}{6}$  =  $-\frac{1}{2}$ 

The slope is  $-\frac{1}{2}$ .

#### **Lesson 4.1 Finding and Interpreting Slope (Day 3)**

Independent Practice #7-10

Challenge- Solve created equation/

Find the slope of the line passing through each pair of points.

7 A (-10, 3), B (0, 3)

8 S (5, -2), T (2, -

P (0, −7), Q (−3, 5)

10 X (4, 4), Y (4, −2)

Şo	Wednesday Homework Ne for Linear Equation #2-20
Solve for each unknown.	
(-3) - g = (-3)	$p \cdot (-23) = 11$
d - 3 = (-13)	p + 14 = 24
5 = f + (-19)	(-11) + w = 11
m + 13 = (-2)	7 = q + (-11)
17 = 16 + r	r - 0 = (-7)
(-33) = (-15) - q	u - (-3) = (-21)
(-10) - b = (-13)	q - 11 = 11
7 = m - (-25)	14 = k + (-10)
26 = 25 + q	(-5) + q = (-3)
25 = 25 - p	(-18) + b = (-23)

Lesson Check —#7 Write Slope of line using two points (slope formula)