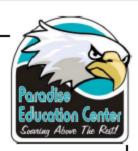
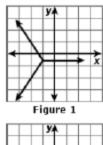
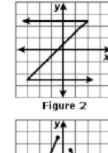
Week 1 Wednesday Course 3 Warm-up

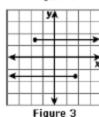
A vending machine only accepts dimes and quarters. There are 85 coins in the machine with a total value of \$16.75. How many of each coin are in the machine?



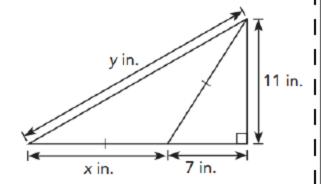
Finding Functions







Which graph shows y as a function of x? Calculate the missing length X. Round to nearest tenth



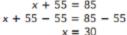
A vending machine only accepts dimes and quarters. There are 85 coins in the machine with a total value of \$16.75. How many of each coin are in

the machine?

Let the number of quarters be x and the number of dimes be y. 10x + 25y = 1,675 — Eq. 1 x + y = 85 — Eq. 2

Multiply Eq. 2 by 10: 10(x + y) = 10(85) — Eq. 3

Subtract Eq. 3 from Eq. 1: (10x + 25y) - (10x + 10y) = 1,675 - 850 10x - 10x + 25y - 10y = 825 15y = 825 $\frac{15y}{15} = \frac{825}{15}$ y = 55Substitute 55 for y into Eq. 2: x + 55 = 85

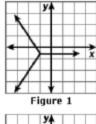


There are 30 quarters and 55 dimes in the vending machine.



Finding Functions

Which graph shows y as a function of x?



y y x

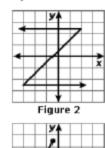


Figure 4

Calculate the missing length X. Round to nearest tenth

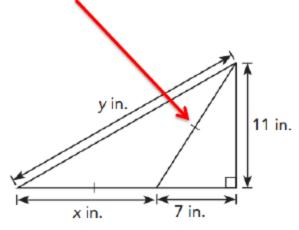
$$x^{2} = 7^{2} + 11^{2}$$

$$x^{2} = 49 + 121$$

$$x^{2} = 170$$

$$x = \sqrt{170}$$

$$x \approx 13.04$$



Objective

TSW represent a function in different forms including...

- *Tables
- *Algebraic Equation
- *Graphs



A function is a relation between a set of inputs and a set of outputs, in which every input has exactly one output. You can use tables, graphs, and equations to represent many functions.

Common Core State Standards

8F1 Understand that a function is a rule that assigns to each input exactly one output. 8F4 Construct a function to model a linear relationship between two quantities 8F5 Describe qualitatively the functional relationship between two quantities by analyzing a graph...

Mathematical Practices MP1 Solve problems/persevere MP2 Reason MP 4 Model Mathematics

Lesson 6.2 Representing Functions Day 2 Gordon is traveling at a constant speed of 80 kilometers per hour. The distance he travels, d kilometers, is a function of the amount of time he takes to travel, t hours.

Gordon is traveling at a constant speed of 80 kilometers per hour. The distance he travels, d kilometers, is a function of the amount of time he takes to travel, t hours.

The distance Gordan travels equals 80 km per hour times the number of hours he takes to travel.

D=80t

_	
2	Mr. Henderson pays a monthly charge of \$40 for a family cell phone plan. Each additional family member pays \$10 every month. The total amount Mr. Henderson and his family members pay each month, y dollars, is a function of the number of the additional family members who use the plan, x.

Mr. Henderson pays a monthly charge of \$40 for a family cell phone plan. Each additional family member pays \$10 every month. The total amount Mr. Henderson and his family members pay each month, y dollars, is a function of the number of the additional family members who use the plan, x.

The total amount Mr. Henderson and his family pay each month equals \$40 plus \$10 times the number of additional family members

$$Y = 40 + 10x$$

3	Math Journal In questions 1 and 2, tell whether all values for the input and output are meaningful for the functions. Explain.



Time and distance are always important input/output.

5	A newly made glass vase has a temperature of 580° C. Its temperature then decreases at an average rate of 56° C per minute. The temperature of the glass vase, y° C, is a function of the number of minutes its temperature has been decreasing, x .

A newly made glass vase has a temperature of 580°C. Its temperature then decreases at an average rate of 56°C per minute. The temperature of the glass vase, y°C, is a function of the number of minutes its temperature has been decreasing, x.

Y = 580 - 56x

X	1	2	3
у	524	468	412

Use the table of values to plot a graph to represent the function. Then write an algebraic equation for the function.

A motorcyclist rode at a constant speed from City A to City B, which are 240 miles apart. The table shows his distance from City B, y miles, as a function of the number of hours he rode, x hours. Use 1 unit on the horizontal axis to represent 1 hour for the x interval, and 1 unit on the vertical axis to represent 40 miles for the y interval.

Number of Hou	ırs (x)	0	1	2	3	4	5	6
Distance from (City B (y miles)	240	200	160	120	80	40	0

Use the table of values to plot a graph to represent the function. Then write an algebraic equation for the function.

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Number of Hours (x)	0	1	2	3	4	5	6
Distance from City B (y miles)	240	200	160	120	80	40	0

$$Y = -40x + 240$$

Practice 6.2 #1-10

Practice 6.2 Write a verbal description of each function. Then write an algebraic equation for the Gordon is traveling at a constant speed of 80 kilometers per hour. The distance he travels, d kilometers, is a function of the amount of time he takes to travel, t hours. Mr. Henderson pays a monthly charge of \$40 for a family cell phone plan. Each additional family member pays \$10 every month. The total amount Mr. Henderson and his family members pay each month, y dollars, is a function of the number of the additional family members who use the plan, x. 3 Math Journal In questions 1 and 2, tell whether all values for the input and output are meaningful for the functions. Explain. Write an algebraic equation for each function. Then construct a table of x- and y-values for the function. The students from the Robotics Club are making model windmills for a workshop. Each windmill has three blades. The total number of blades needed, y, is a function of the number of windmills they make, x. A newly made glass vase has a temperature of 580°C. Its temperature then decreases at an average rate of 56°C per minute. The temperature of the glass vase, y°C, is a function of the number of minutes its temperature has been decreasing, x. Each of the following graphs represents a function. Write an algebraic equation to

Challenge- #11

*Solve created equations "Pick a Snowflake"

*Real World Problem (website)
*BuzzMath



Lesson Check #9-can represent a function as a graph



How are the ideas and information presented CONNECTED to what you already knew?

What new ideas did you get that EXTENDED or pushed your thinking in new directions?

What is still CHALLENGING or confusing for you to get your mind around? What questions, wonderings or puzzles do you now have?