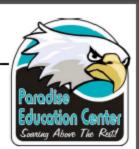
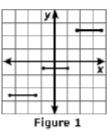
Week 1 Thursday Course 3 Warm-up

At a fund raising event, a booth was set up to sell handmade cards and photo I frames. On the first day, 3 cards and 9 photo frames were sold for a total of \$75. The next day, 8 cards and 5 photo frames were sold for a total of \$67. Find the selling price of a card



Finding Functions

Which graph shows y as a function of x?



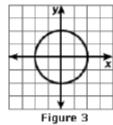
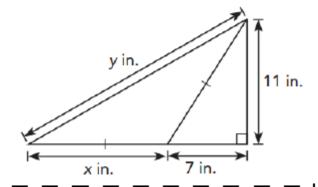


Figure 2

Calculate the missing length Y. Round to nearest tenth



At a fund raising event, a booth was set up to sell handmade cards and Subtract Eq. 4 from Eq. 3: frames. On the first day, 3 cards and 9 photo frames were sold for a tota (24x + 72y) - (24x + 15y) = 600 - 20124x - 24x + 72y - 15y = 399The next day, 8 cards and 5 photo frames were sold for a total of \$67. 57v = 399 $\frac{57y}{2} = \frac{399}{1}$ Find the selling price of a card and the selling price of a photo frame. y = 7

Let the price of a card be x and the price of a photo frame be y.

3x + 9y = 75— Eq. 1 Ea. 2 8x + 5y = 67

Multiply Eq. 1 by 8: 8(3x + 9y) = 8(75)

> 24x + 72y = 600— Eq. 3

Multiply Eq. 2 by 3: 3(8x + 5y) = 3(67)

24x + 15y = 201

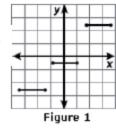
Substitute 7 for y into Eq. 2: 8x + 5(7) = 678x + 35 = 678x + 35 - 35 = 678x = 32

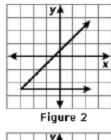
The selling price of a card is \$4 and that of a

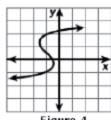
photo frame is \$7.

Finding Functions

Which graph shows y as a function of x?







| Calculate the missing length y. Round to nearest tenth

The value of x is approximately 13.0.

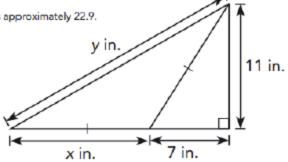
 $y^2 \approx 11^2 + (13.04 + 7)^2$

 $y^2 = 11^2 + 20.04^2$ $v^2 \approx 121 + 401.60$

 $v^2 = 522.60$

 $y = \sqrt{522.60}$

The value of y is approximately 22.9.



Day 1

Objective

TSW identify linear and nonlinear functions by analyzing tables and graphs.



A function is a relation between a set of inputs and a set of outputs, in which every input has exactly one output.

You can use tables, graphs, and equations to represent many functions.

Common Core State Standards

8 F2 Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal description) 8 F3 Interpret the equation y=mx+b as defining a linear function, whose graph is a straight line; give examples of functions that are not linear.

Mathematical Practices MP1 Solve problems/persevere MP2 Reason MP 4 Model Mathematics

L	esso	on 6.3 Understanding Linea	r and Nonline	ar Functions Day 1	
		- .	Vocak	oulary	
	Lin	ear Function		Rate of Change	

Vocabulary

Linear Function

A function that can be expressed in the form of Y=mx +b

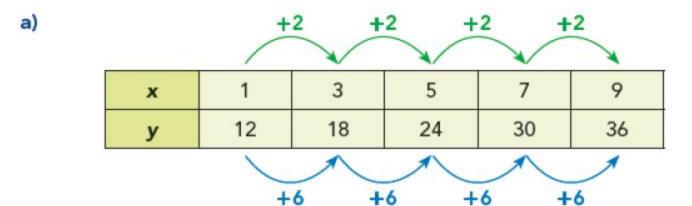
Rate of Change

The ratio of changes in two quantities

Rate of change = $\frac{\text{Change in output values}}{\text{Change in input values}}$

You can find tell whether a function is linear by finding the rate of change, as shown below:

Examples of Linear Functions



You can find tell whether a function is linear by finding the rate of change, as shown below:

Examples of Linear Functions

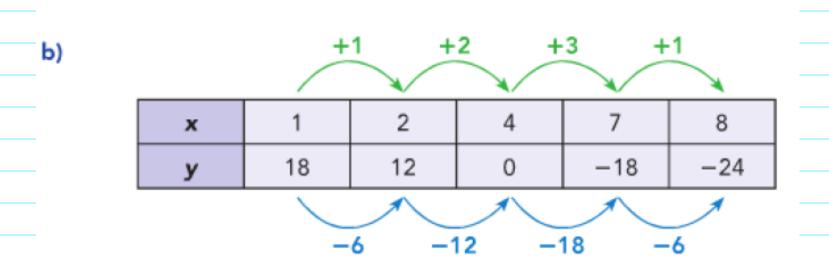
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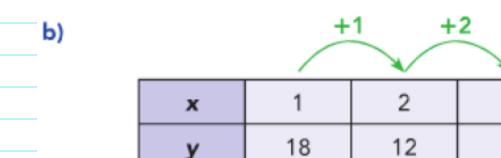
	+	2 +	2 +	2 +	2
			1		×
x	1	3	5	7	9
у	12	18	24	30	36
		1	1	1	1
	+	6 +	6 +	6 +	6

Rate of change:
$$\frac{6}{2} = 3$$
 $\frac{6}{2} = 3$ $\frac{6}{2} = 3$ $\frac{6}{2} = 3$

The function has a constant rate of change, 3.

So, the table represents a linear function.





Rate of change:
$$\frac{-6}{1} = -6$$
 $\frac{-12}{2} = -6$ $\frac{-18}{3} = -6$ $\frac{-6}{1} = -6$

-12

+3

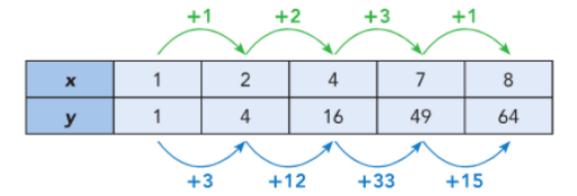
-18

-18

-24

Examples of Non-Linear Functions

c)



Math Note

A function with a varying rates of change is nonlinear.

Examples of Non-Linear Functions

c)

	+1 +2 +3 +1					
		*/	*/	*/ -	*	
х	1	2	4	7	8	
у	1	4	16	49	64	
+3 +12 +33 +15						

Rate of change:
$$\frac{3}{1} = 3$$
 $\frac{12}{2} = 6$ $\frac{33}{3} = 11$ $\frac{15}{1} = 15$

Math Note

A function with a varying rates of change is nonlinear.

Example 7 Tell whether a function represented in a table is linear.

The table shows the cooking times recommended for roasting turkeys of different weights. Tell whether the relation between the weight of a turkey, x pounds, and the time it takes to roast the turkey, t hours, is a linear function.

Weight of Turkey (x pounds)	10	15	20	30
Time Taken (t hours)	3.0	3.5	4.0	5.0

Example 7 Tell whether a function represented in a table is linear.

The table shows the cooking times recommended for roasting turkeys of different weights. Tell whether the relation between the weight of a turkey, *x* pounds, and the time it takes to roast the turkey, *t* hours, is a linear function.

Solution

	+5 +5 +10				
Weight of Turkey (x pounds)	10	15	20	30	
Time Taken (t hours)	3.0	3.5	4.0	5.0	

+0.5 +0.5 +1.0

Rate of change:

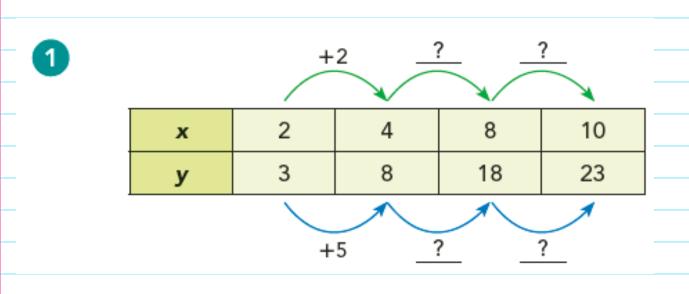
$$\frac{0.5}{5} = 0.1 \frac{0.5}{5} = 0.1 \frac{1.0}{10} = 0.1$$

The function has a constant rate of change, 0.1.

So, the table represents a linear function.

Guided Practice

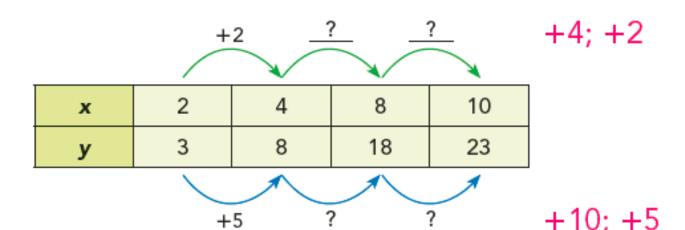
Tell whether each table of values represents a linear or nonlinear function. Explain.



Guided Practice

Tell whether each table of values represents a linear or nonlinear function. Explain.





Rate of change:
$$\frac{5}{2} = \frac{?}{?} = \frac{?}{?} = \frac{?}{?} = \frac{?}{?} = \frac{?}{2}; \frac{10}{4}; 2\frac{1}{2}; \frac{5}{2}; 2\frac{1}{2}$$

Because the rate of change for the function is ____, constant the table represents a __?_ function. linear

Guided Practice

Tell whether each table of values represents a linear or nonlinear function. Explain.

2

х	-5	-3	-1	1	3
У	28	26	22	14	4

Guided Practice

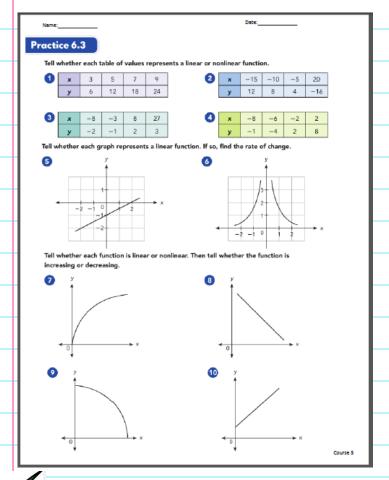
Tell whether each table of values represents a linear or nonlinear function. Explain.

2

х	-5	-3	-1	1	3
У	28	26	22	14	4

Because the rate of change for the function is ____, not constant the table represents a ____ function. nonlinear

Practice 6.3 #1-4



Challenge-

*Solve created equations
"Pick a Snowflake"

*BuzzMath



Lesson Check #1 & 3-can tell whether a table of values represents a linear or nonlinear functions

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Ticket Out the Door- Connect, Extend, Challenge

How are the ideas and information presented CONNECTED to what you already knew?

What new ideas did you get that EXTENDED or pushed your thinking in new directions?

What is still CHALLENGING or confusing for you to get your mind around? What questions, wonderings or puzzles do you now have?